# **RIZ MUGHAL**

# QUIZ MASTER MTH301 QUIZ 2(LEC 23 to 29)

100% correct solution.

For more information you can visit my channel and for any type of help related to CS619 you can contact me.

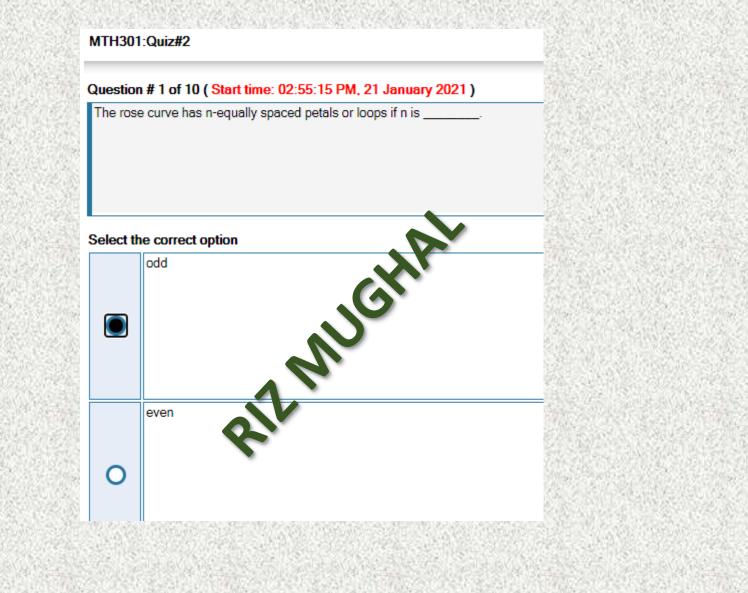


## **YOUTUBE CHANNEL:**

https://www.youtube.com/channel/UCINsFwDiB62SValCcPDZbRQ/playlists

# **FACEBOOK GROUP:**

https://www.facebook.com/groups/923887914750307



MTH301	:Quiz#2	Quiz Start Ti		
Question # 2 of 10 ( Start time: 02:55:29 PM, 21 January 2021 )				
	The vector $\vec{r}$ is continuous at $t_0$ if _			
Select th	ne correct option			
0	(a) $\vec{r}(t_0)$ is defined.			
0	(b) $\lim_{t \to t_0} \vec{r}(t)$ exist.			
0	$(\mathrm{c})  \lim_{t  o t_0} ec{r}(t) \ = ec{r}(t_0) .$			

 $(d) \quad All \ (a), \ (b) \ and \ (c) \, .$ 

MTH301:Quiz#2		
Question # 3 of 10 ( Start time: 02:55:50 PM, 21 January 2021 )		
A smoo	oth vector-valued function has a line at every point on its graph.	
Select t	he correct option	
0	curved	
0	secant	
	tangent	
0	straight	

MTH301:Quiz#2

Question # 4 of 10 ( Start time: 02:56:03 PM, 21 January 2021 )

$$\text{If } \vec{r}(t) = t \ \hat{i} + 2t \ \hat{j}, \ \text{then } \ \frac{d}{dt} \ [\vec{r}(t)] = \underline{\hspace{1cm}}$$



$$t~\hat{i} + 2\hat{j}$$



$$\hat{i} + 2t\,\hat{j}$$



$$\hat{i}+2\hat{j}$$

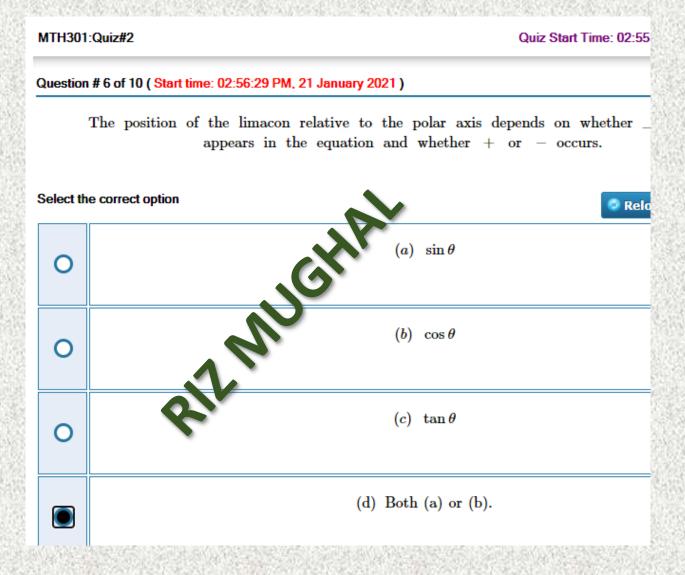
$$\hat{i}+\hat{j}$$

#### MTH301:Quiz#2

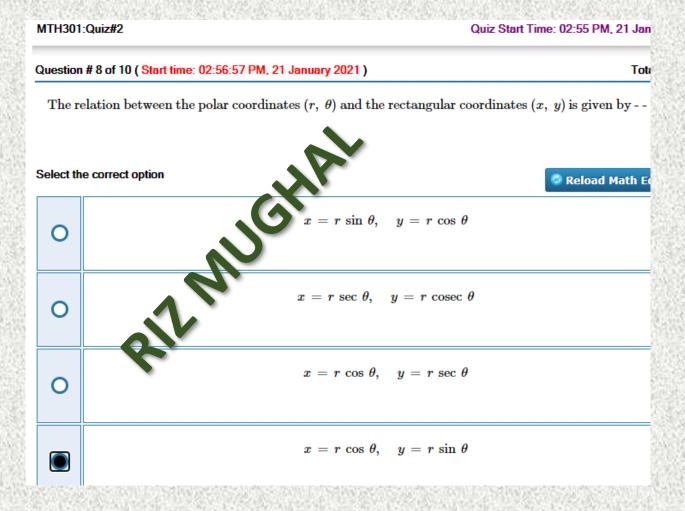
Question # 5 of 10 (Start time: 02:56:18 PM, 21 January 2021)

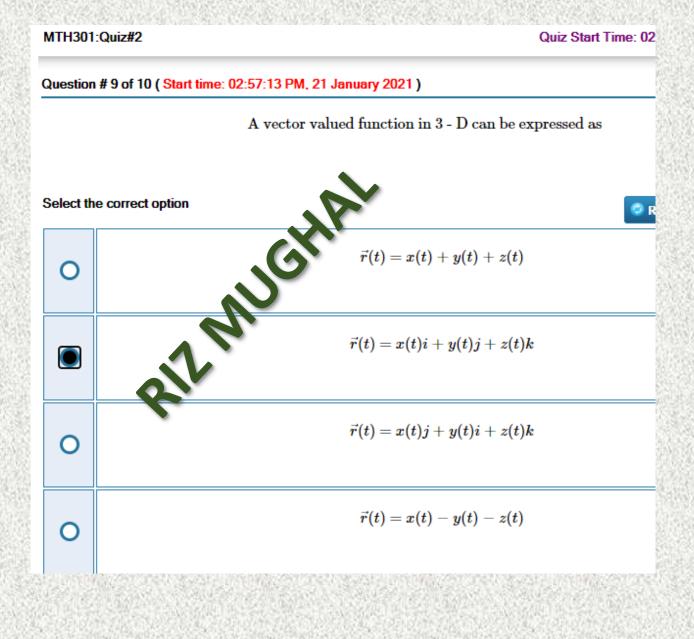
$$\int\limits_0^1 \int\limits_0^1 \int\limits_0^1 x^2 y^2 z^2 \ dx \ dy \ dz = \ ------$$





MTH301:Quiz#2		
Question	n # 7 of 10 ( Start time: 02:56:45 PM, 21 January 2021 )	
Graph o	f a vector-valued function can fail to have a tangent vector at a point because	
Select th	ne correct option	
0	a) derivative does not exists at that point	
0	b) derivative is zero at that point	
	c) Both a) and b)	
0	d) Neither a) nor b)	

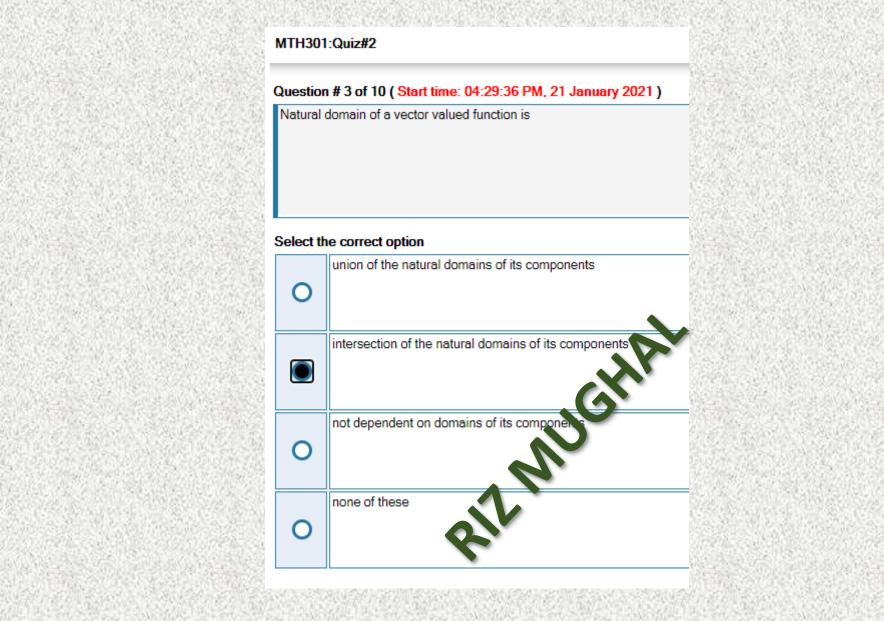




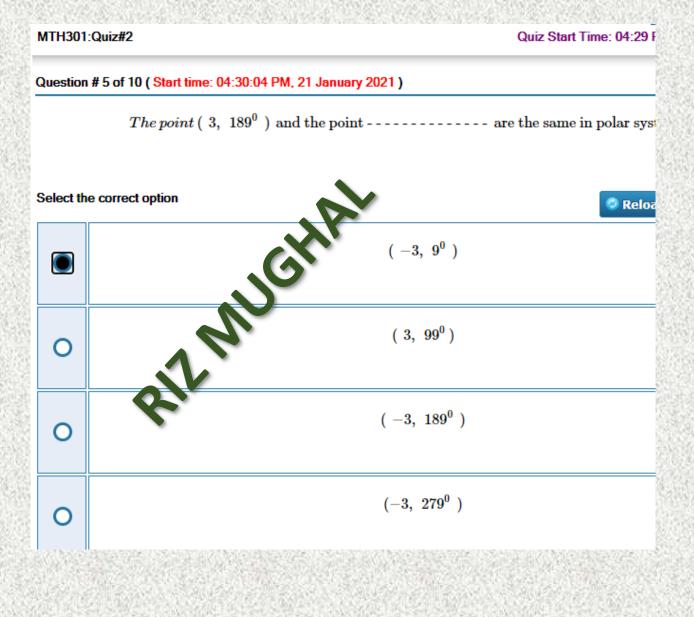
MTH301	:Quiz#2	Quiz Start Tim
Question	ı # 10 of 10 ( Start time	: 02:57:25 PM, 21 January 2021 )
		The equation $r=a(1+\cos\theta)$ represents
Select th	e correct option	
0	^5	a straight line
	BILL	cardioid
0		lemniscate
0		rose curve

2<sup>nd</sup> account

MTH301:Quiz#2		
Questio	n # 2 of 10 ( Start time: 04:29:25 Pl	M. 21 January 2021 )
A smooth vector-valued function has a line at every point on its graph.		
Select th	ne correct option	
0	curved	JGIA,
0	secant	
	tangent	
0	straight	



MTH301:Quiz#2 Quiz Start Time: Question # 4 of 10 (Start time: 04:29:48 PM, 21 January 2021) If  $p(r, \theta)$  is a point in polar coordinate system, then  $\theta$  is called Select the correct option Acute angle of pO Polar angle of pReflex angle of p0 Reflex angle of p



#### Question # 6 of 10 ( Start time: 04:30:18 PM, 21 January 2021 )

Total M

If  $\vec{r}(t) = x(t)\hat{i} + y(t)\hat{j} + z(t)\hat{k}$  is a vector-valued function in 3-space, and if x(t), y(t) and z(t) are differentiable, then  $\frac{d}{dt}[\vec{r}(t)] = \underline{\hspace{1cm}}$ .

Select the correct option

Reload Math Equa



$$x'(t)\hat{i} + y'(t)\hat{j}$$



$$x'(t)\hat{i} + y'(t)\hat{j} + z'(t)\hat{k}$$



$$x(t)\hat{i} + y'(t)\hat{j} + z'(t)\hat{k}$$

$$x'(t)\hat{i} + y'(t)\hat{j} + z(t)\hat{k}$$

MTH301:Quiz#2 Quiz St

# Question # 7 of 10 (Start time: 04:30:33 PM, 21 January 2021)

Which integral gives the arc length of the curve

$$r(t)=\frac{1}{3}t^3i+tj+t^2k$$



$$\int_{1}^{3} \sqrt{1+t}dt$$

$$\int\limits_{1}^{3}\sqrt{\left(\frac{1}{3}+t\right)^{2}}dt$$



$$\int\limits_{0}^{3}\sqrt{\left( 1+t
ight) ^{2}}dt$$

$$\int\limits_{1}^{3}\sqrt{\left( 1+t^{2}
ight) ^{2}}dt$$

#### MTH301:Quiz#2

Question # 8 of 10 ( Start time: 04:30:46 PM, 21 January

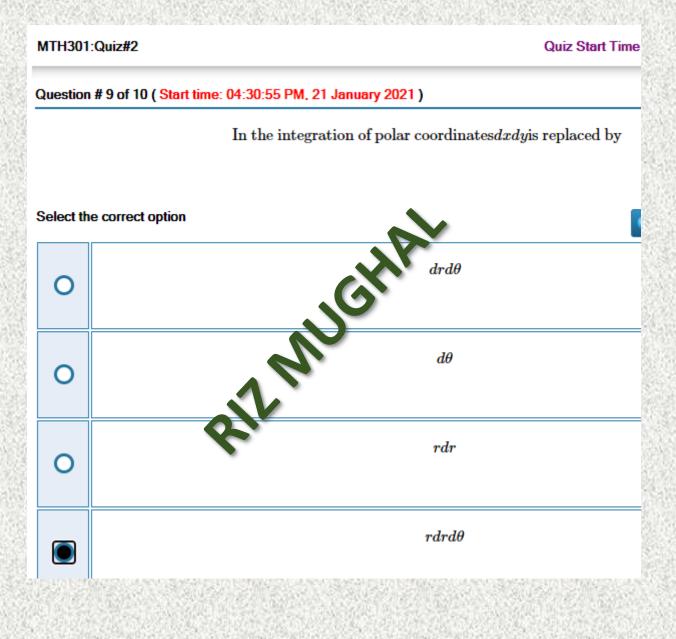
$$\int\limits_{0}^{\pi} \int\limits_{0}^{1} r^{2} \; dr \; d heta \; = \; - - - - - - - -$$











MTH301:Quiz#2		
Question	n # 10 of 10 ( Start time: 04:31:12 PM, 21 January 2021 )	
Graph of a vector-valued function can fail to have a tangent vector at a point because		
Select th	ne correct option	
	a) derivative does not express a dat point	
0		
	b) derivative is 2 to at that point	
0		
	c) Both a) and b)	
	d) Neither a) nor b)	
0	163 PKT1991 D 40 PT 6 D 5 PT 6 D 5 PT 6 D 5 PT 6 D 5 PT 16 PT 6 D 5 PT 16 PT 1	